Surname:

First Name: _

INSTRUCTIONS This exam covers units 1-6 and is weighted with a maximum of 42 points (pt) from a total of 100 pt in the whole course (Unit 7 is not covered in the exam and weights 8 pt). For the test, use the original statement sheet and avoid corrections or unclear marking (ask for a new blank sheet if needed). Completion time = 2 hours.

- EXAM -

Exercise 1 (20pt). Each question has at least one correct answer and its total score depends on whether you check: some incorrect answer = -3pt; all the correct answers = 5pt; only correct answers, but not all = 3pt; leaving blank = 0pt. A total negative score in Exercise 1 counts as 0pt in the rest of the exam.

1.1) Mark those formulas below that are stronger than $p \to \neg q$ in classical propositional logic:



- 1.2) The logic program P with rules p := not q, r. r := p. is stratified. Mark the rules below that, if they were (individually) added to P, they would make the result a non-stratified program.
 - $\begin{array}{|c|c|c|} \hline p & := r. \\ \hline q & := not p. \end{array} \end{array} \qquad \begin{array}{|c|c|} \hline q & := r. \\ \hline q & := r. \\ \hline r & := q. \end{array}$

1.3) Given the following logic program p:- q. p:- not p, not q.

- $\Box \quad \text{the reduct with respect to } \{q\} \text{ is the program } \boxed{p:-q}.$
- $\Box \quad \text{the reduct with respect to } \{q\} \text{ is the program } p := q. \qquad p := not p.$

 $\Box \quad \text{the reduct with respect to } \emptyset \text{ is the program } \boxed{p :- q. \quad p.}$

- $\Box \quad \text{the reduct with respect to } \{p\} \text{ is the program } p := q. \qquad p.$
- \Box the reduct with respect to $\{p,q\}$ is the program
- 1.4) The rule p := not p, not q. used above is actually equivalent to the formula $\neg \neg p \lor \neg \neg q$ in the logic of Here-and-There (HT), but the latter is not equivalent to $p \lor q$ in that logic. Mark those HT interpretations that are HT models of $\neg \neg p \lor \neg \neg q$ but not of $p \lor q$.

 $\begin{array}{ll} \square & H = \emptyset, \ T = \{p\} \\ \square & H = \{q\}, \ T = \{q\} \\ \square & H = \emptyset, \ T = \{p,q\} \end{array}$

 $\Box \quad H = \{p, q\}, T = \{p\}$

Exercise 2 (10pt). Write an ASP program that generates all ways to place 5 rooks in a chessboard so that they do not attack each other. Use predicate rook(X,Y) meaning there is a rook at row X and column Y. (NOTE: in chess, rooks attack other pieces in the same row or in the same column).

#const n=8.
cell(1..n,1..n).

#show rook/2.

Exercise 3 (8pt). The following telingo program tries to move a robot in a grid from an initial position at (0,0) to a goal position at (3,4). Complete the program to fulfil the two missing requirements: (1) the robot must reach the goal position at the end; (2) the robot cannot step into a wall.

```
#program initial.
grid(0..3,0..4).
wall(0,2). wall(2,2). wall(3,2). robot(0,0). goal(3,4).
#program dynamic.
1 { robot(X+1,Y); robot(X-1,Y); robot(X,Y+1); robot(X,Y-1) } 1 :- 'robot(X,Y).
:- robot(X,Y), not _grid(X,Y). % Do not step out of the grid
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Exercise 4 (4pt). Write a formula in Description Logic (DL) that describes the set of individuals with children (use relation *has_child*) being all of them students (use concept name *Student*).